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Opt1pt

# Gallium data variability and KamLAND

João Pulido

CFTP - Instituto Superior  
Técnico, Lisbon

Collaborators:

Bhag C. Chauhan

CFTP - I.S.T, Lisbon, Portugal

Marco Picariello

INFN - Lecce, Univ. Lecce



Time modulation of the solar neutrino flux is probably the most important issue after LMA has been asserted as the dominant solution for the  $\odot\nu$  problem.

Many efforts have been recently undertaken to look into modulation (SK, SNO collabs., Stanford Group, Calcutta Group, ...)

If confirmed it will probably imply the existence of a sizable neutrino magnetic moment  $\mu_\nu$  and hence a wealth of new physics.

VVO (1986) explained the claimed periodicity of the Chlorine event rate but the effect remained inconclusive. In summary it works as follows:

Active neutrinos can be converted to sterile ones owing to the interaction of  $\mu_\nu$  with the solar field  $B_\odot$ .



# Gallium data, SFP and KamLAND

At times of intense solar activity

*Strong  $B_{\odot} \rightarrow$  large  $\mu_{\nu} B_{\odot} \rightarrow$  large conversion*

with little or no conversion otherwise. Hence a neutrino flux anticorrelated to solar activity.

## OUR CLAIM

Striking fact: Gallium data have been consistently decreasing. This may be the effect of a long term periodicity. In fact

Period	1991-97	1998-03
SAGE+Ga/GNO	$77.8 \pm 5.0$	$63.3 \pm 3.6$
Ga/GNO only	$77.5 \pm 7.7$	$62.9 \pm 6.0$
av. no. of suspots	52	100

*(Table 1)*

Notice a  $2.4\sigma$  discrepancy in the combined results over the two periods: possible anticorrelation of Ga event rate with the 11-year solar cycle.



Ga are the only experiments with a significant contribution of  $pp$ ,  ${}^7\text{Be}$  neutrinos (together they account for  $\simeq 80\%$  of event rate and  $> 99\%$  of total  $\odot\nu$  flux). No other experiments show such a variational effect, so the time dependence of these fluxes becomes an open possibility.

We propose an alternative to the conventional solar+KamLAND fit:

DO NOT completely average over time: it may erase important information. Instead attempt at two separate fits to the two Ga data sets consistent with all other solar and KamLAND data.



## THE MODEL

Introduce sterile neutrinos. In the vacuum they do not mix with the active ones

$$\begin{pmatrix} \nu_s \\ \nu_e \\ \nu_x \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_\theta & s_\theta \\ 0 & -s_\theta & c_\theta \end{pmatrix} \begin{pmatrix} \nu_0 \\ \nu_1 \\ \nu_2 \end{pmatrix} \quad (1)$$

while in matter active neutrinos communicate to sterile ones through the magnetic moment

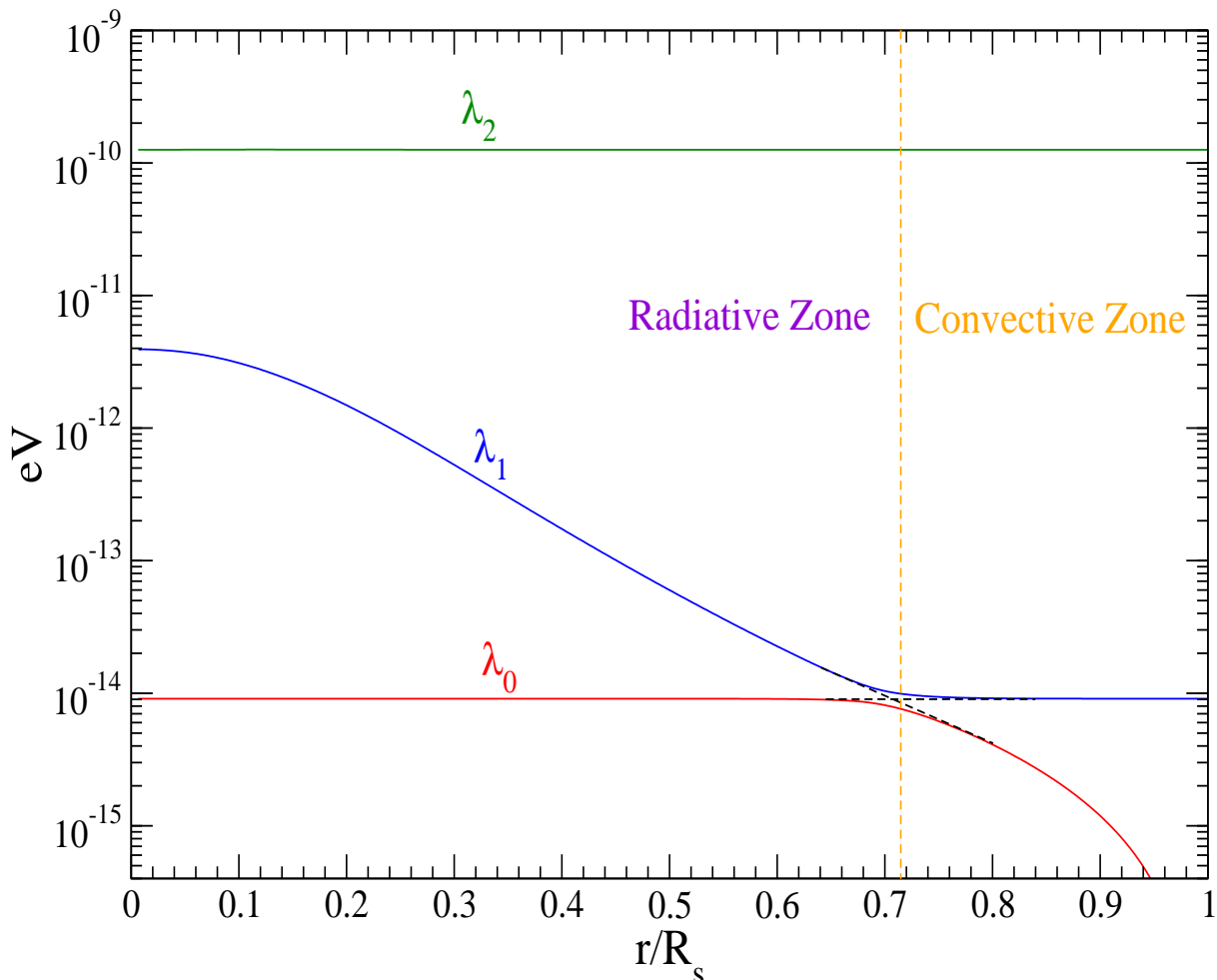
$$\mathcal{H}_M = \begin{pmatrix} \frac{-\Delta m_{10}^2}{2E} & \mu_\nu B & 0 \\ \mu_\nu B & \frac{\Delta m_{21}^2}{2E} s_\theta^2 + V_e & \frac{\Delta m_{21}^2}{4E} s_{2\theta} \\ 0 & \frac{\Delta m_{21}^2}{4E} s_{2\theta} & \frac{\Delta m_{21}^2}{2E} c_\theta^2 + V_x \end{pmatrix}. \quad (2)$$

# Gallium data, SFP and KamLAND

The parameter  $\Delta m_{10}^2 = m_1^2 - m_0^2$  dictates the location of the active  $\rightarrow$  sterile transition. ( $\Delta m_{21}^2 = m_2^2 - m_1^2$  defines the location of the conventional LMA transition).

$$B_{peak} = 220kG, \Delta m_{10}^2 = -6.0 \times 10^{-9} eV^2$$

$$E = \langle E_{pp} \rangle = 0.33 MeV$$





Why sterile neutrinos? Because we need

$$\Delta m_{10}^2 = O(10^{-8} eV^2)$$

which excludes conversion to active neutrinos for which both known values of the mass square differences are larger.

The large order of magnitude discrepancy between the two mass square differences

$$\frac{\Delta m_{21}^2 = O(10^{-4}) eV^2 \quad \Delta m_{10}^2 = O(10^{-8}) eV^2}{}$$

*(Table 2)*

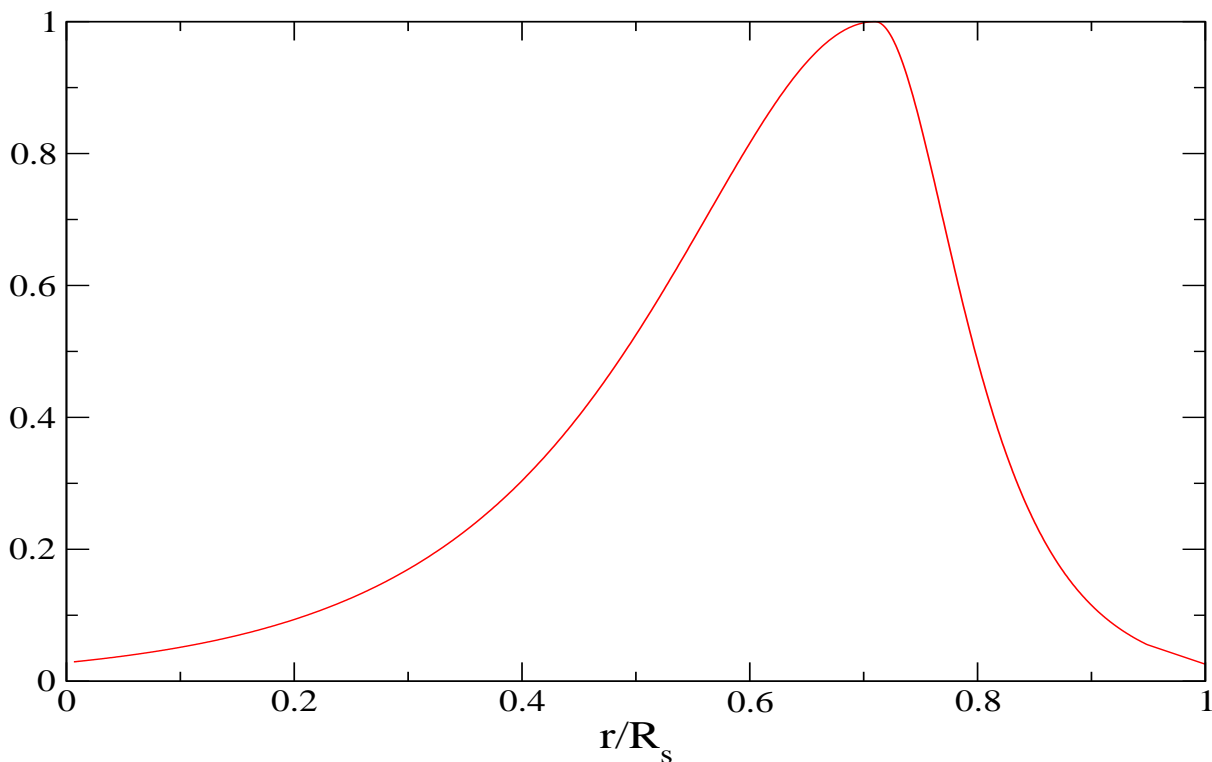
implies the two resonances to be located far apart (LMA in the core and SFP at the bottom of the convective zone) so that they do not interfere.

In all our calculations  $\mu_\nu = 10^{-12} \mu_B$ .



# Gallium data, SFP and KamLAND

FIELD PROFILE (normalized) - peaks near the bottom of the convective zone [ $B_{peak} = (200 - 300)kG$ ]



$\Delta m_{10}^2 = O(10^{-8} eV^2) \rightarrow pp, {}^7Be$  resonances located near  $B_{peak}$ .

Field time dependence (possibly in connection to solar activity) leads to a modulation of the low energy neutrino flux

$\rightarrow$  mainly  $pp$  and  ${}^7Be$



## RESULTS

For the global best fit we obtain

	Ga	Cl	K (SK)	SNO <sub>NC</sub>	SNO <sub>CC</sub>	SNO <sub>ES</sub>
Set (I)	71.7	2.66	2.29			
Set (II)	69.6		2.18	5.53	1.54	2.16
LMA	64.8	2.74	2.30	5.10	1.75	2.28

*(Table 3)*

Set (I): period 1991-97. Only 3 experiments were available: Ga, Cl, Kamiokande

Set (II): period 1998-03. Cl not available and Kamiokande → SuperK

Parameters ( $\chi^2/d.o.f.$  = 18.4/13, 107.9/94, 104.3/95)

$$\Delta m_{21}^2 = 8.2 \times 10^{-5} eV^2 (7.9), \tan^2 \theta = 0.31 (0.46)$$

$$\Delta m_{10}^2 = -6.5 \times 10^{-8} eV^2$$



# Gallium data, SFP and KamLAND

However:

Global b.f. is not a good measure for the investigation of the time variability of low energy neutrinos, as its information is dissimulated within the wealth of solar and KamLAND data.

A slight change in the parameters:

$$\Delta m_{21}^2 = 8.4 \times 10^{-5} eV^2, \tan^2 \theta = 0.27$$

$$\Delta m_{10}^2 = -1.7 \times 10^{-8} eV^2$$

yields ( $\chi^2/d.o.f.$  = 18.7/13, 121.1/94)

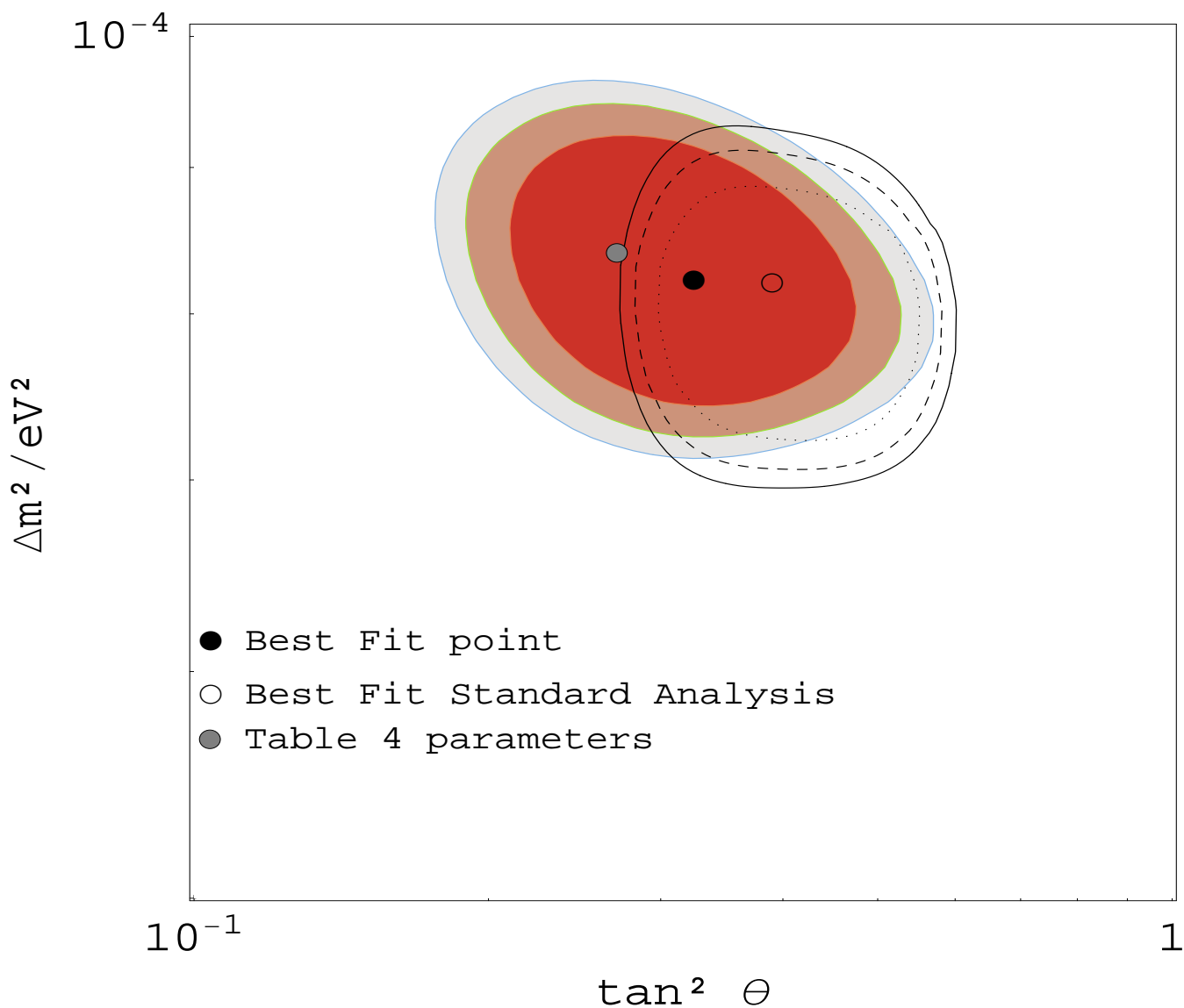
	Ga	Cl	K (SK)	SNO <sub>NC</sub>	SNO <sub>CC</sub>	SNO <sub>ES</sub>
Set (I)	74.7	2.63	2.28			
Set (II)	60.5		2.28	5.82	1.53	2.24

(Table 4)

Recall: for LMA (KamLAND only),

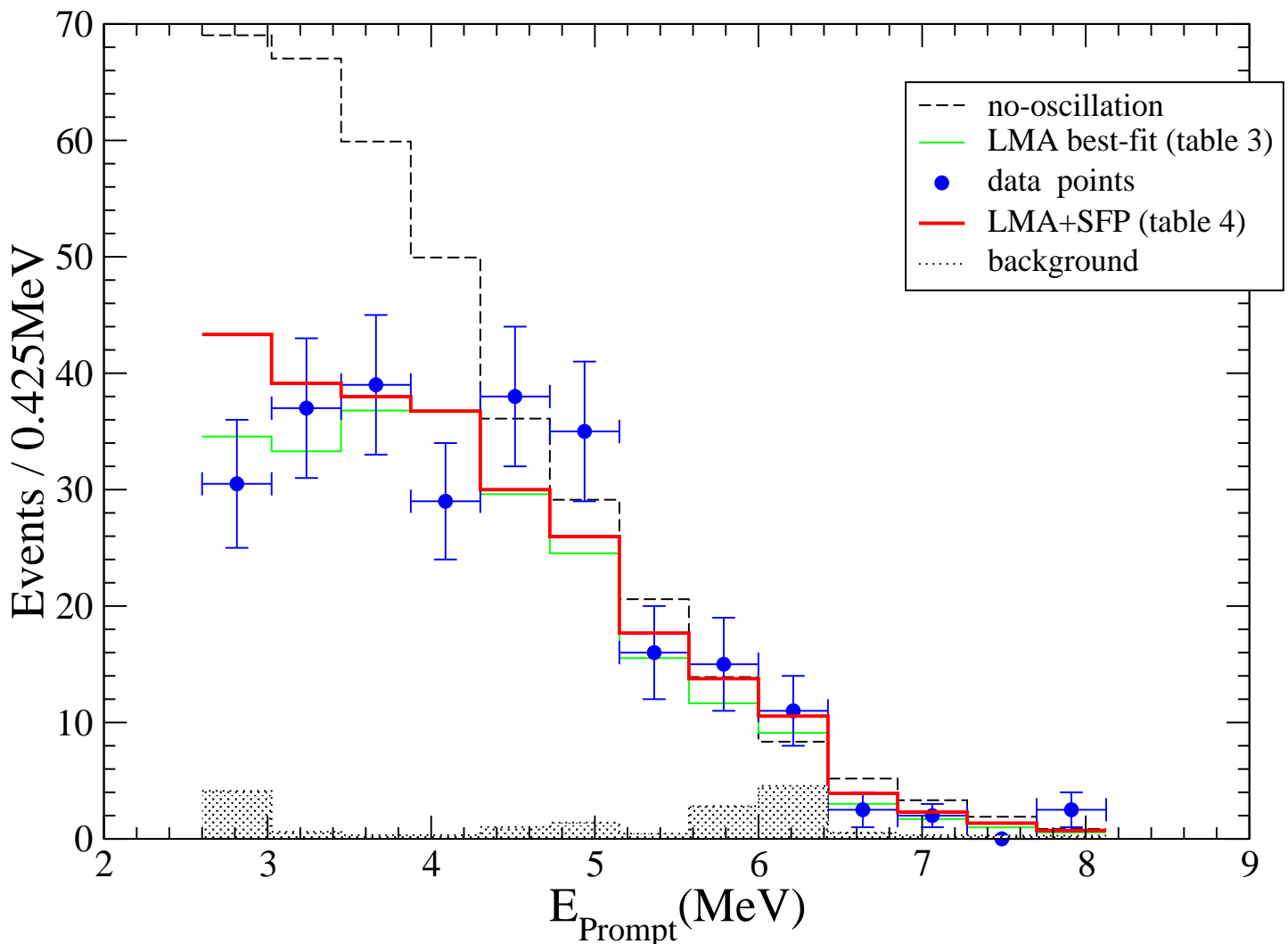
$$\Delta m_{21}^2 = 7.9 \pm_{0.5}^{0.6} \times 10^{-5} eV^2, \tan^2 \theta = 0.46 \pm_{0.25}^{4.5} (2\sigma)$$

## Solar+KamLAND analyses (Standard and ours)



## Consistency of solution with KamLAND data

### (I) KamLAND $e^+$ spectrum



The two fits are equally comparable in quality

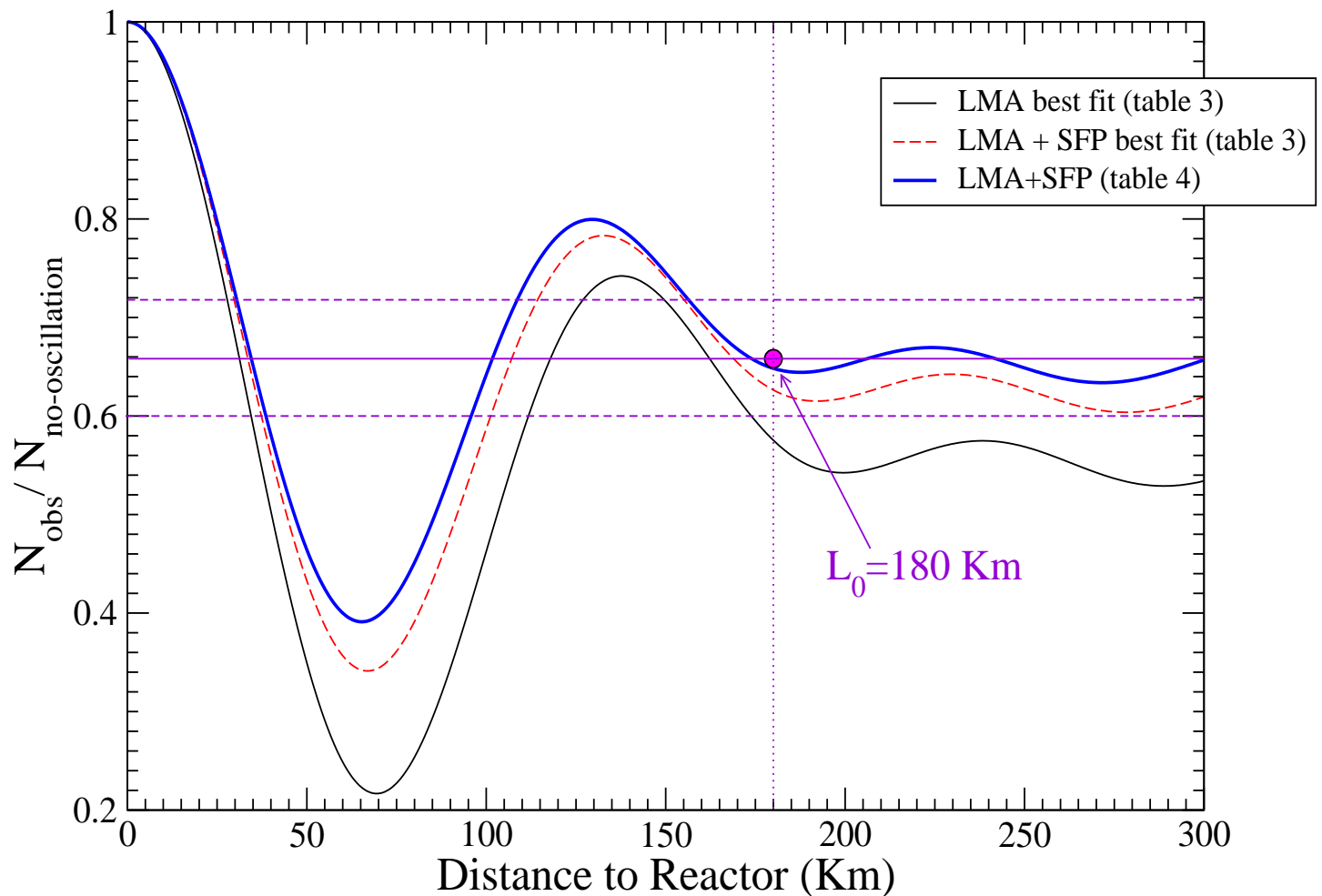
LMA best fit  $\chi^2 = 15.0/11d.o.f.$

Table 4 fit  $\chi^2 = 16.5/11d.o.f.$

## Consistency ... (continued)

### (II) Antineutrino survival probability

$$P_{osc}(E_{\bar{\nu}}, L) = 1 - \sin^2 2\theta \sin^2 \left( \frac{\Delta m_{21}^2 L}{4E_{\bar{\nu}}} \right)$$





## Gallium data, SFP and KamLAND

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$$P_{LMA} = 0.576, P_{BF} = 0.623, P_{Table\ 4} = 0.651$$

Compare with data:  $P = 0.658 \pm 0.064$

Best of 3 fits is for the parameter choice of table 4

$$\Delta m_{21}^2 = 8.4 \times 10^{-5} eV^2, \tan^2 \theta = 0.27$$

Recall that this parameter choice is the one leading to the Ga data sets which lie the furthest apart: 74.7 and 60.5 SNU.

A clear distinction between Table 4 scenario and LMA one will only be possible either with **data improvement** or **average distances below 110-120km** or both.

New reactors may come into operation while others cease and fluxes almost constantly change.



## CONCLUSIONS

Investigating variability of  $\odot \nu$  flux is the most important challenge facing us in  $\odot \nu$  physics, now that LMA is known to play a major role for the solution to the SNP.

Variability of LE  $\odot \nu$  flux is hinted by Ga data, possibly in connection to  $\odot$  activity, hence the importance of forthcoming LE experiments: KamLAND ( $\odot$  mode), LENS, Borexino, ...

KamLAND (reactor  $\bar{\nu}$  mode) will no doubt help telling 'pure LMA type' solution from 'LMA+SFP type' both through improvement of data accuracy and shift of effective reactor-detector distance.